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## Group gradings on associative algebras

Abstract. Let A be an algebra over a field F and let G be a group. Then A is said to be a G-graded algebra if A is decomposed into direct sum of subspaces  $A_g$  (g is an element of G) such that any product  $A_gA_h$ lies in the subspace  $A_{gh}$ . Group gradings on most important finite dimensional algebras will be discussed. In particular, all G-gradings on full matrix algebra will be described and all graded simple finite dimensional algebras will be classified.